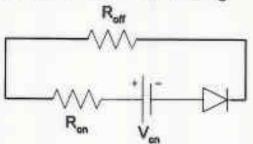
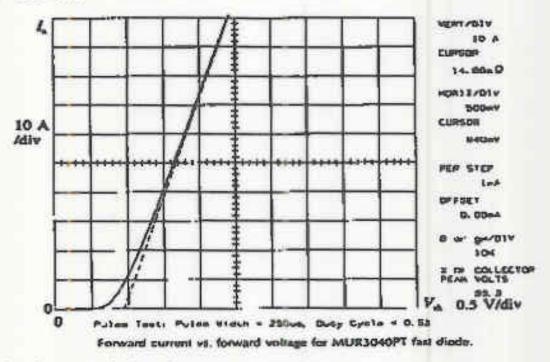
DC Parameters from

Static models of diodes involve the following:



tracer

For HW #4 from the MUR3040PT diode data book for practice obtain all three values: $R_{on} = 0.015$, $R_{off} = 40 \text{ m}\Omega$, and $V_{on} = 0.94 \text{ V}$.



Static characteristics do not tell the full story of any device. Like people the dynamic characteristics may reveal new and unexpected behavior. For example, the Von for the diode above does have a brief voltage overshoot when driven by a constant current source to turn it on. This needs to be accounted for in any dynamic model of diode operation as the dynamic I-V is unique.

Paralleling diodes

Attempts to parallel diodes, and share the current so that $i_1 = i_2 = i/2$, generally don't work.

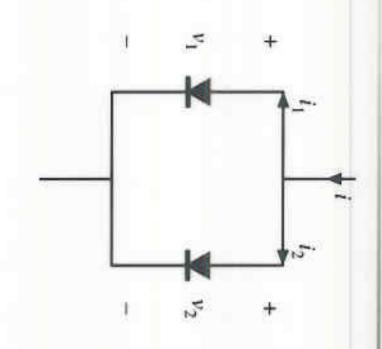
Reason: thermal instability caused by temperature dependence of the diode equation.

Increased temperature leads to increased current, or reduced voltage.

One diode will hog the current.

To get the diodes to share the current, heroic measures are required:

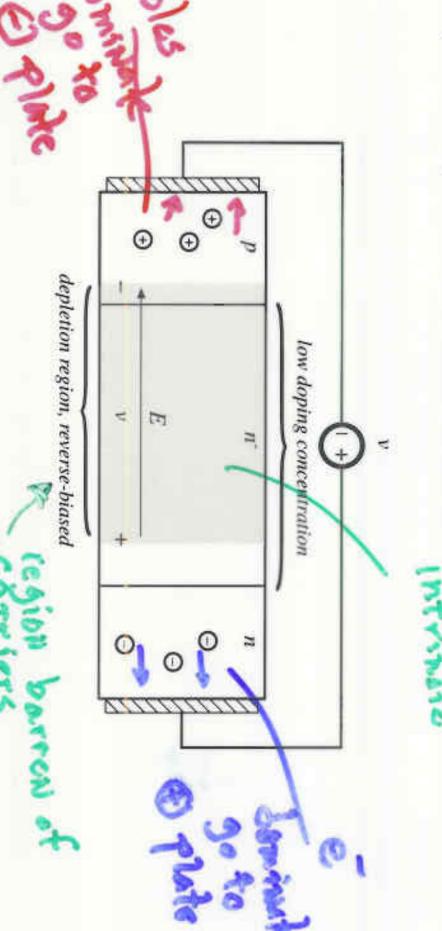
- Select matched devices
- Package on common thermal substrate
- Build external circuitry that forces the currents to balance



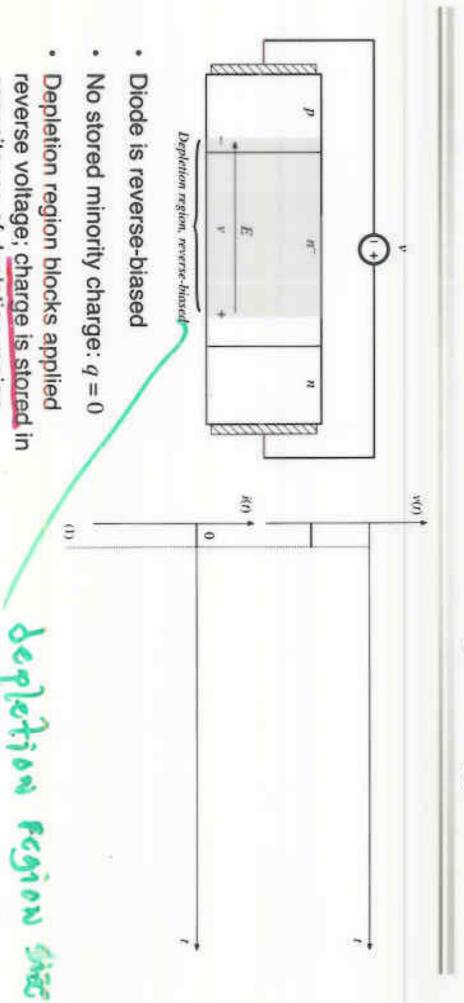
off (ment) T VS KONT VO

4.2.1. Power diodes

A power diode, under reverse-biased conditions:



reversed-biased, blocking voltage Diode in OFF state:



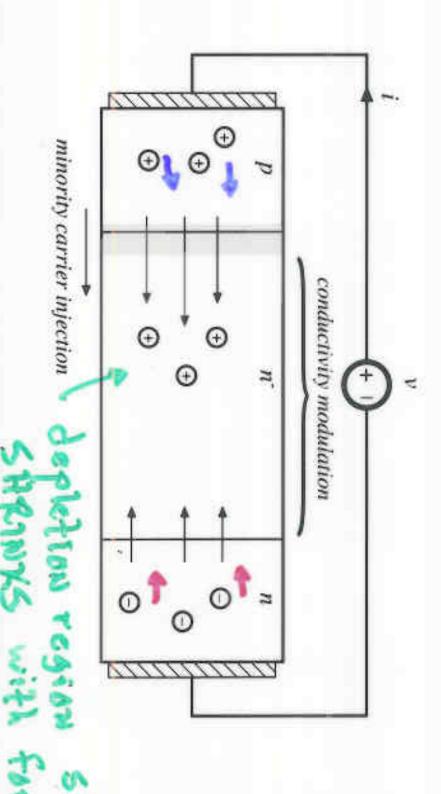
capacitance of depletion region

reverse voltage; charge is stored in

Chapter 4: Switch realization

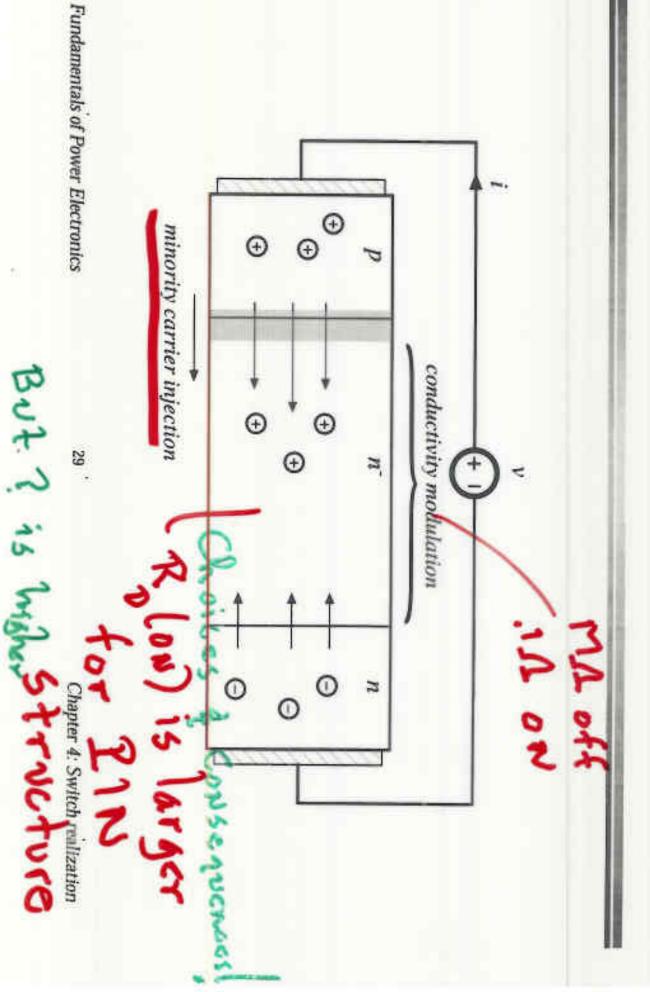
EXPENSE EAT

Forward-biased power diode



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Forward-biased power diode



Charge-controlled behavior of the diode equilibrum

The diode equation:

$$q(t) = Q_0 \left(e^{\lambda \nu(t)} - \Lambda \right)$$

Charge control equation:

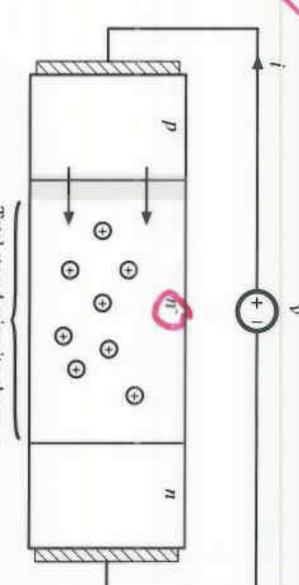
$$\frac{dq(t)}{dt} = h - \frac{q(t)}{\tau_L}$$

With:

 $\lambda = 1/(26 \text{ mV})$ at 300 K

τ_L = minority carrier lifetime

(above equations don't include current that charges depletion region capacitance)



Total stored minority charge q

In equilibrium: dq/dt = 0, and hence

$$i(t) = \frac{q(t)}{\tau_L} = \frac{Q_0}{\tau_L} \left(e^{\lambda \nu(t)} - 1 \right) = I_0 \left(e^{\lambda \nu(t)} - 1 \right)$$

Fundamentals of Power Electronics