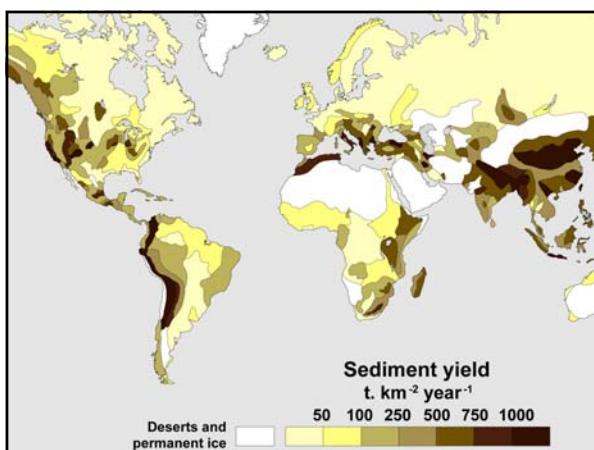
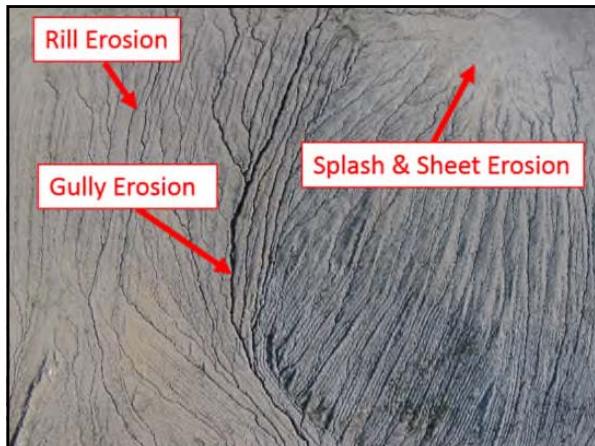


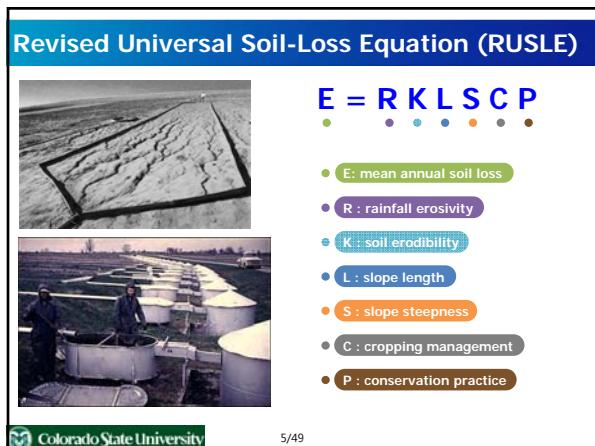
Reservoir Sedimentation

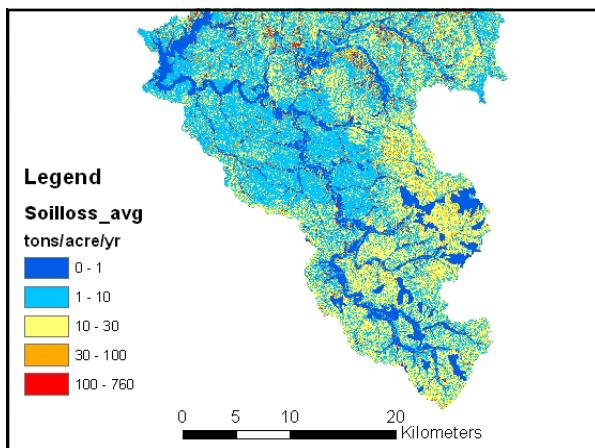
- 1. Sediment Sources and Yield
- 2. Dynamic Modeling
- 3. Density Currents
- 4. Dambreak Simulations
- 5. Multi-objective Decisions

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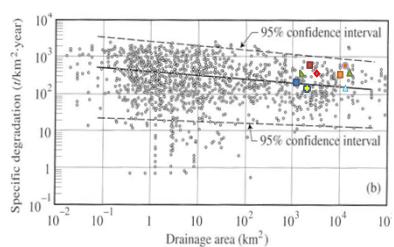






Sediment Yield...

- Kane and Julien (2007)



Upland Degradation Problems





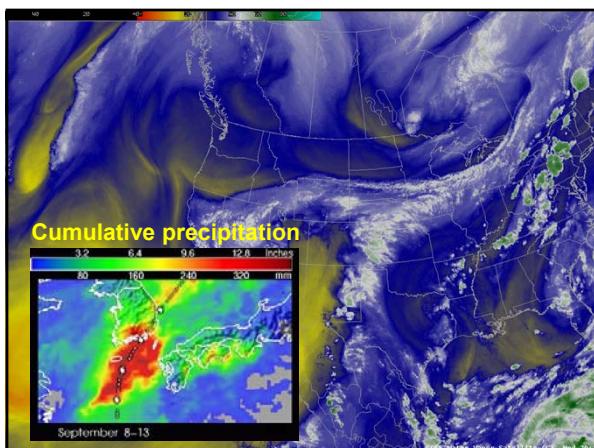


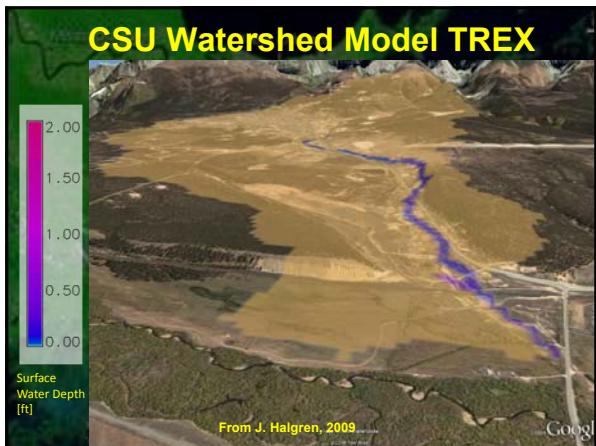
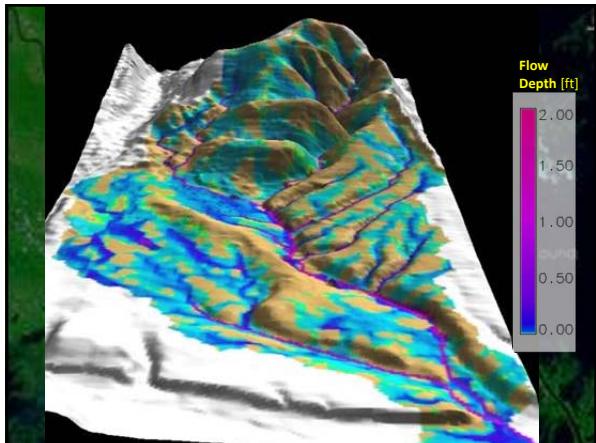
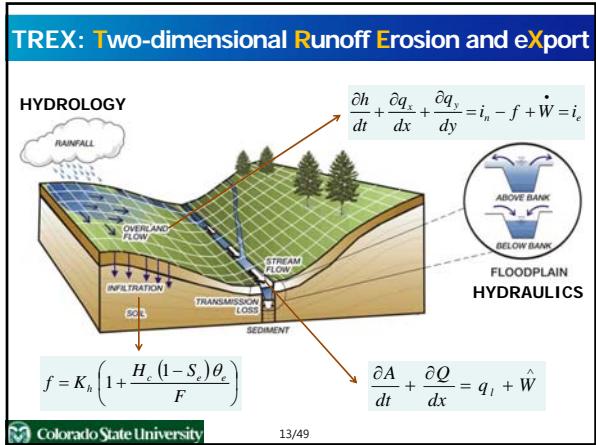
Reservoir Sedimentation

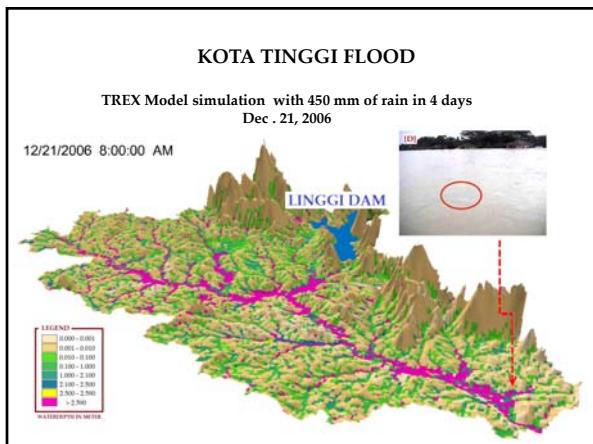
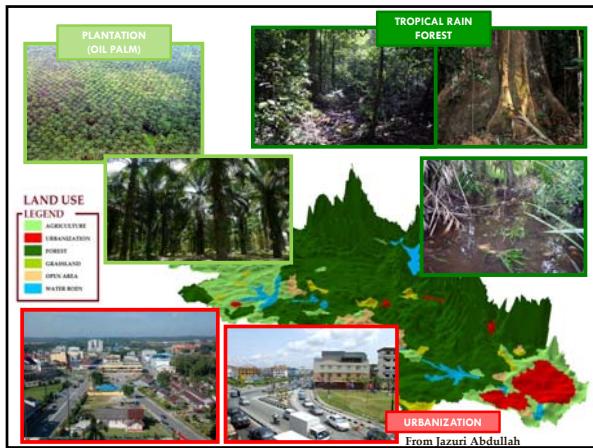
- 1. Sediment Sources and Yield
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Runoff and TSS Visualization at Naesung Stream

Runoff and TSS Visualization at Naesung Stream, South Korea

(TREX Simulation from Dr. Mark Velleux, HDR HydroQual, NJ)

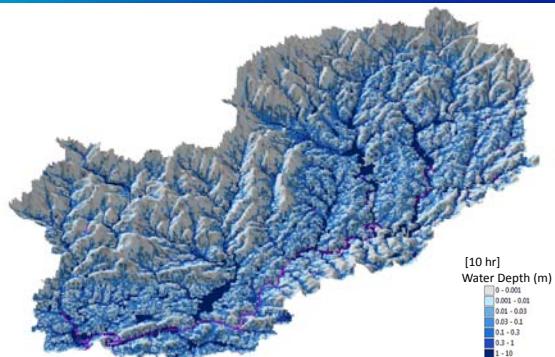
Jaehoon Kim and Pierre Y. Julien

Department of Civil and Environmental Engineering
Colorado State University



CSU

Water Depth

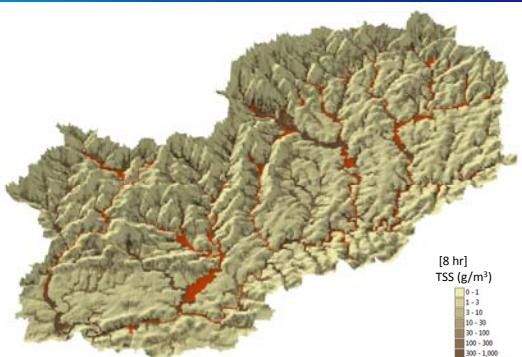


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3. Dynamic Modeling of Mountain Watersheds

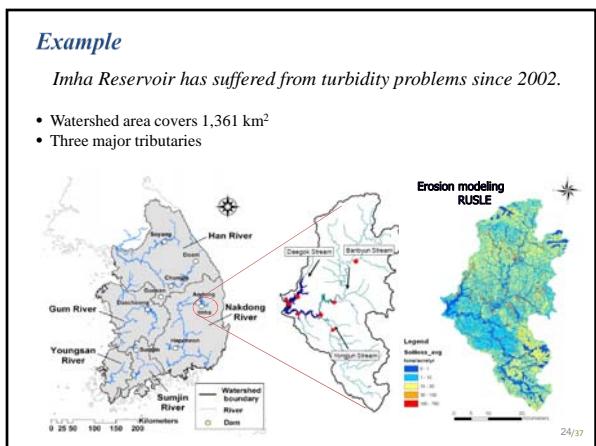
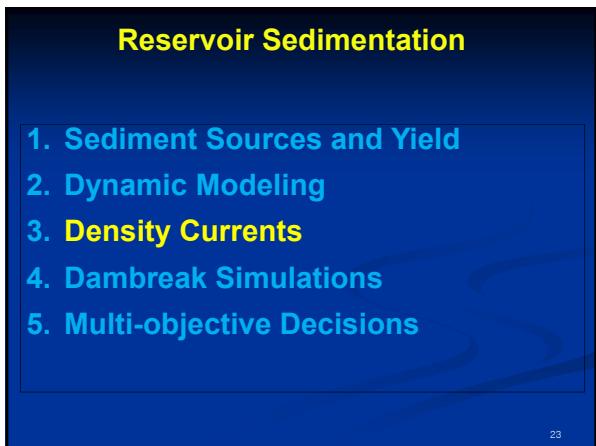
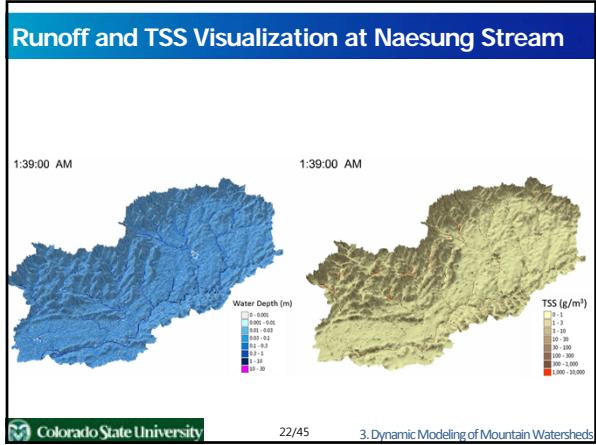
Total Suspended Solids

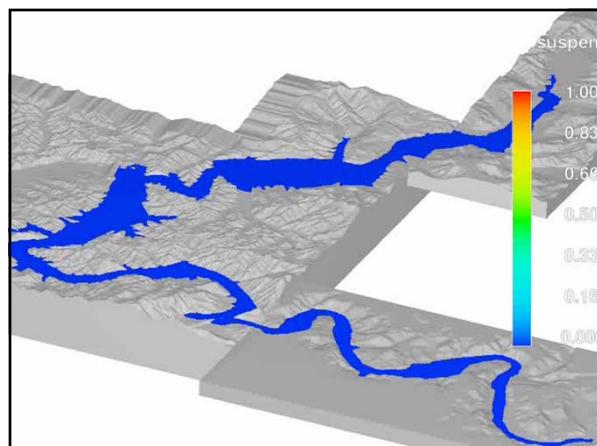
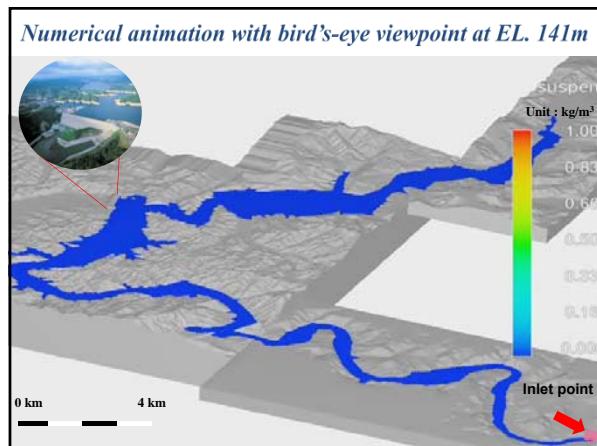
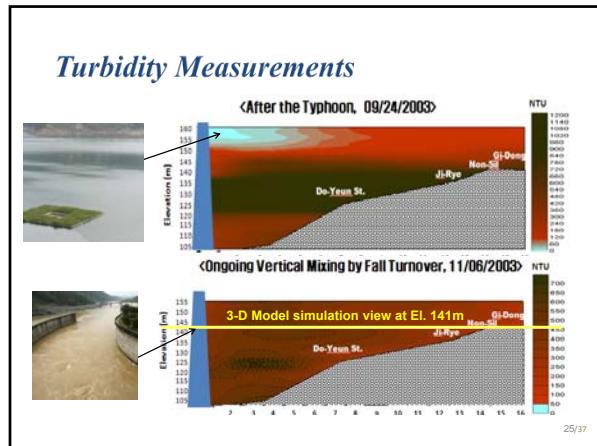


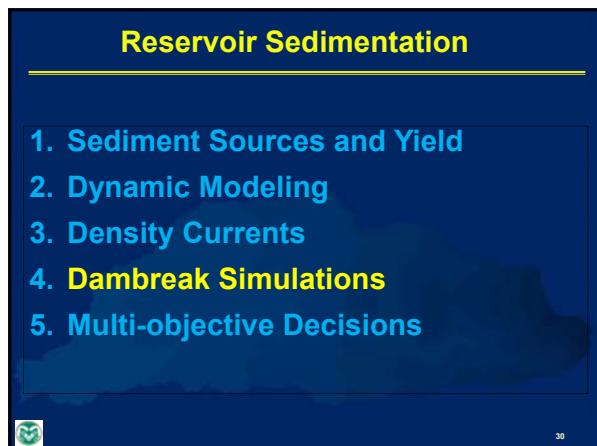
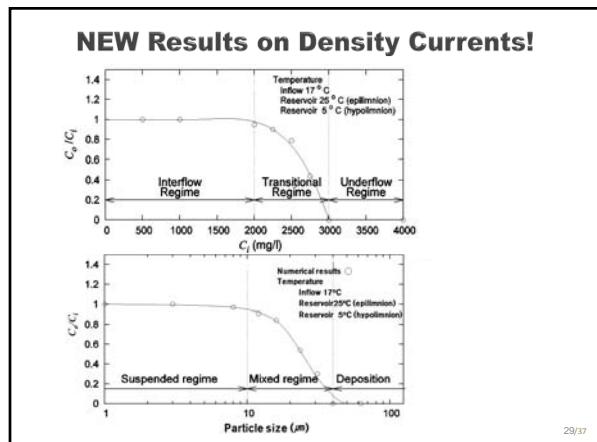
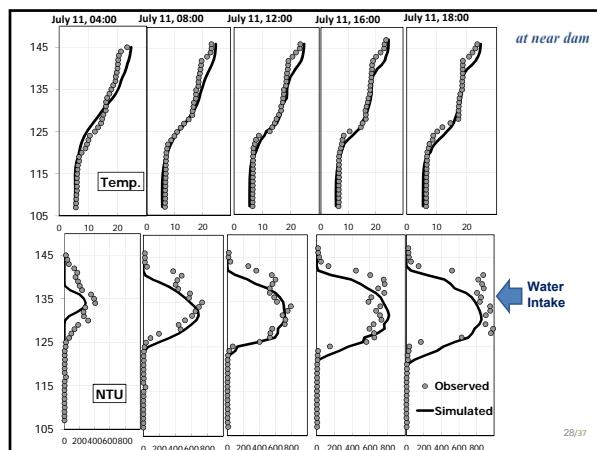
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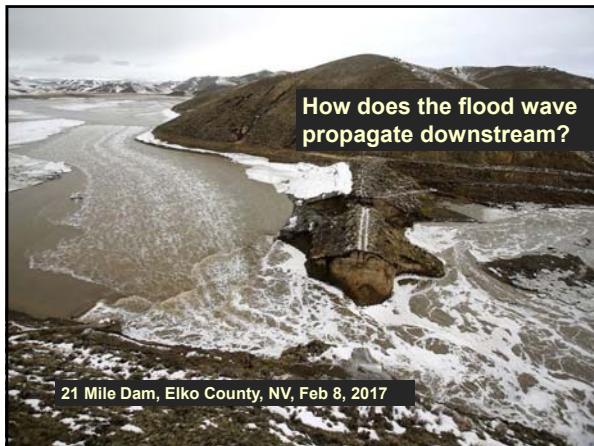
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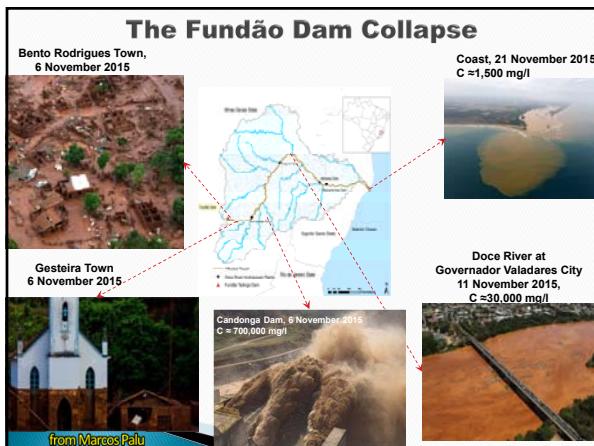
3. Dynamic Modeling of Mountain Watersheds

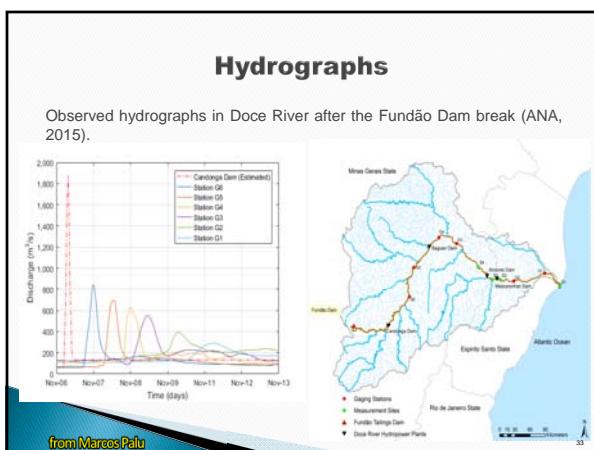




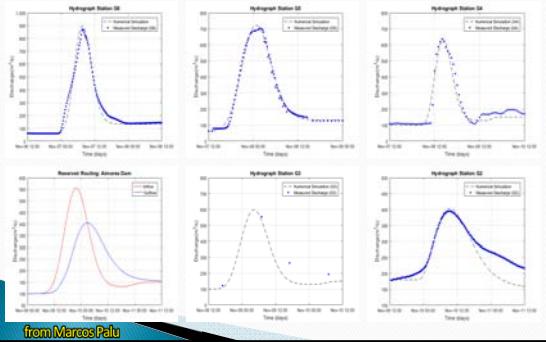








Floodwave Propagation Modeling



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Sediment Routing NEW Development!

The one-dimensional advection-dispersion equation is applied on the evaluation of transport of suspended load in open channels (Fischer et al., 1979; Julien, 2010).

$$\frac{\partial C}{\partial t} + U \frac{\partial C}{\partial x} = K_d \frac{\partial^2 C}{\partial x^2} - kC$$

C is the concentration;
U is the flow averaged velocity;
 K_d is the longitudinal dispersion coefficient;
k is the settling rate.

Analytical solution for a constant spill in finite time interval is given by (Chapra, 2008):

$$C(x,t) = \frac{C_0}{2} \left[\frac{Ux}{e^{2K_d(1-\Gamma)}} \left[erfc \left(\frac{x-Ut\Gamma}{2\sqrt{K_d}\Gamma} \right) - erfc \left(\frac{x-U(t-\tau)\Gamma}{2\sqrt{K_d}(t-\tau)} \right) \right] + e^{\frac{Ux}{2K_d}(1+\Gamma)} \left[erfc \left(\frac{x+Ut\Gamma}{2\sqrt{K_d}\Gamma} \right) - erfc \left(\frac{x+U(t-\tau)\Gamma}{2\sqrt{K_d}(t-\tau)} \right) \right] \right]$$

Where: $\Gamma = \sqrt{1 + 4\eta}$ and $\eta = \frac{kK_d}{U^2}$

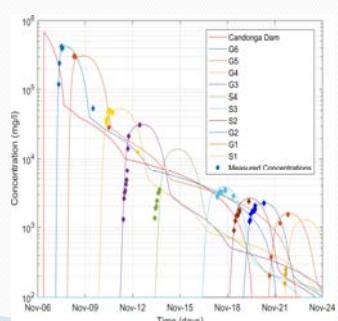
The error function complement, $erfc$, is equal to:

$$erfc(b) = 1 - erf(b) = 1 - \frac{2}{\sqrt{\pi}} \int_0^b e^{-\beta} d\beta$$

from Marcos Palu

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Sediment Concentration Modeling



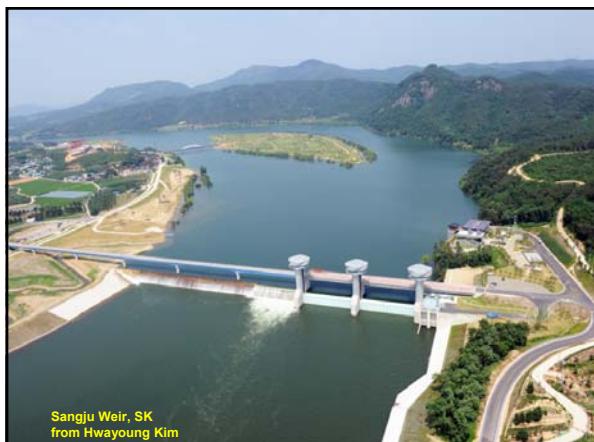
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Reservoir Sedimentation

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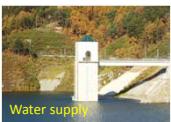


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Other Issues besides sedimentation

- It is hard to change reservoir operation rules for sedimentation problems because we have many other issues to deal with.



Water supply



Stream ecology



Hydropower



Flood control



Riverside environment



Turbidity

from H. Kim et al., ASCE, 2017

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